

Perspective for jet analysis in EIC

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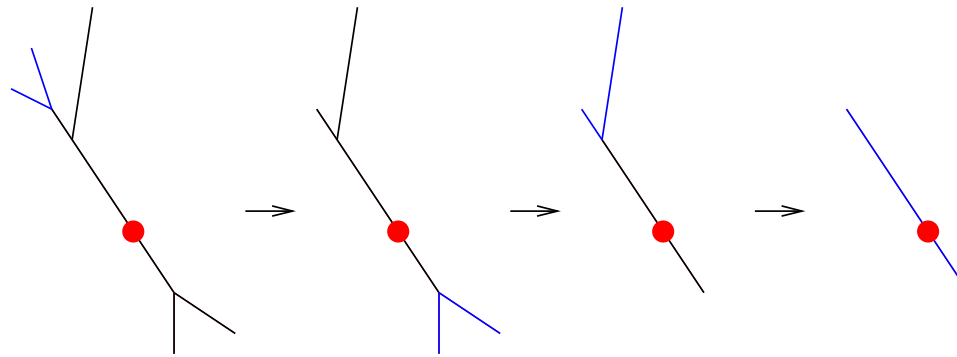
- Jet algorithms

- The gluon distribution
 - Difficulty in inclusive events
 - Looking at 2+1 jet events
 - What can we expect?

- Forward physics
 - DGLAP vs. BFKL in Mueller-Navelet jets
 - DGLAP vs. BFKL in forward jets (saturation?)

Class 1: recombination

Successive recombinations of the “closest” pair of particle



- Distance:

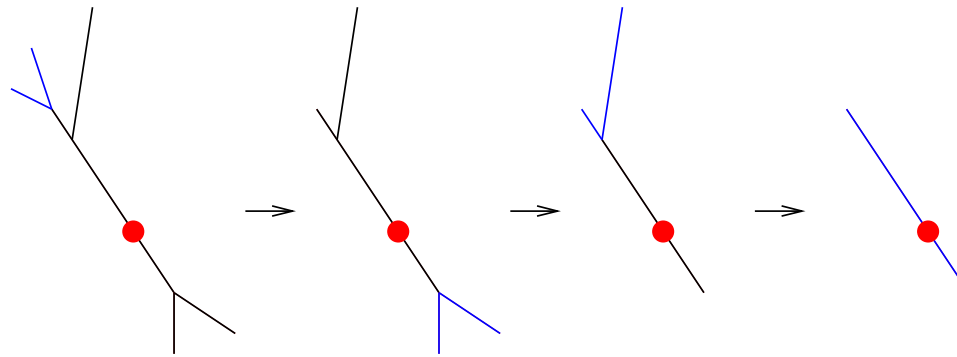
$$\underline{k_t}: \quad d_{i,j} = \min(k_{t,i}^2, k_{t,j}^2)(\Delta\phi_{i,j}^2 + \Delta y_{i,j}^2)$$

$$\underline{\text{Aachen/Cam.}}: \quad d_{i,j} = \Delta\phi_{i,j}^2 + \Delta y_{i,j}^2$$

- stop when $d_{\min} > R$

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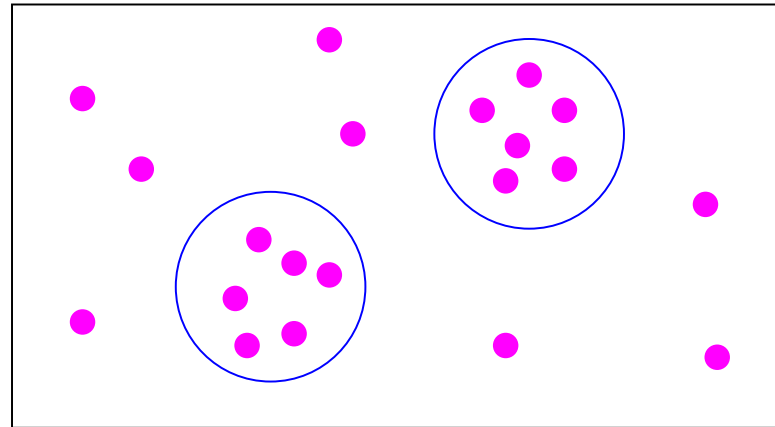
- Often used for $e^\pm e^\pm$ or $e^\pm p$

- FastJet : a fast implementation of those algorithms

www.lpthe.jussieu.fr/~salam/fastjet/ [M. Cacciari, G. Salam]

Class 2: cone

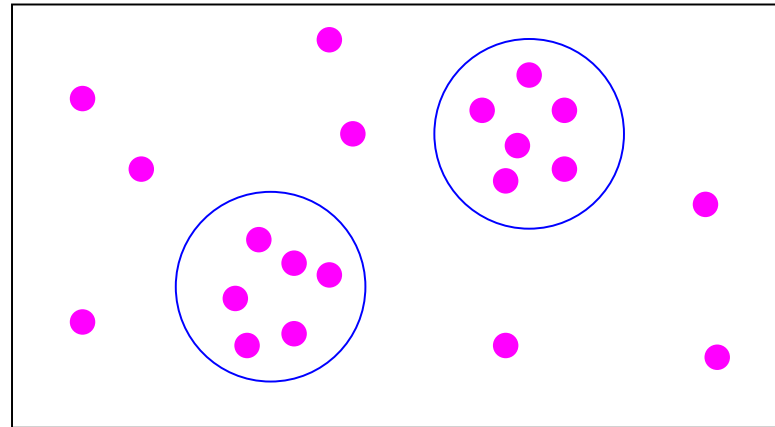
Find directions of dominant energy flow



for a cone of radius R in the (y, ϕ) plane, stable cones are such that:
centre of the cone \equiv direction of the total momentum of its particle contents

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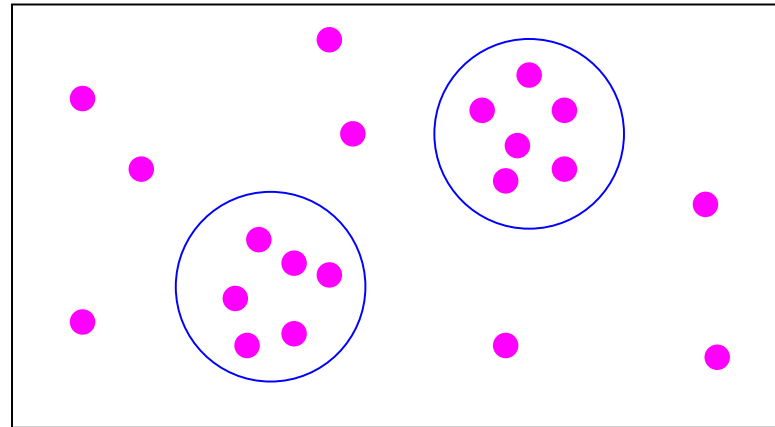


for a cone of radius R in the (y, ϕ) plane, stable cones are such that:
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- Split-merge procedure to deal with overlapping stable cones
- Often used for pp
- Requirements specified in the Snowmass Accord (Fermilab, 1990)

Class 2: cone

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- Requirements specified in the Snowmass Accord (Fermilab, 1990)
- **SISCone**: first cone algorithms that satisfies all those constraints
(noticeably Infrared Safety)

projects.hepforge.org/siscone/ (+ FastJet plugin)

[G. Salam, G. Soyez, 07]

Standard way of extracting the gluon distribution:

- consider the inclusive F_2 (plus other inclusive quantities as Drell-Yan cross-sections)
- pdf parametrised at $Q^2 = Q_0^2$ and evolved with DGLAP

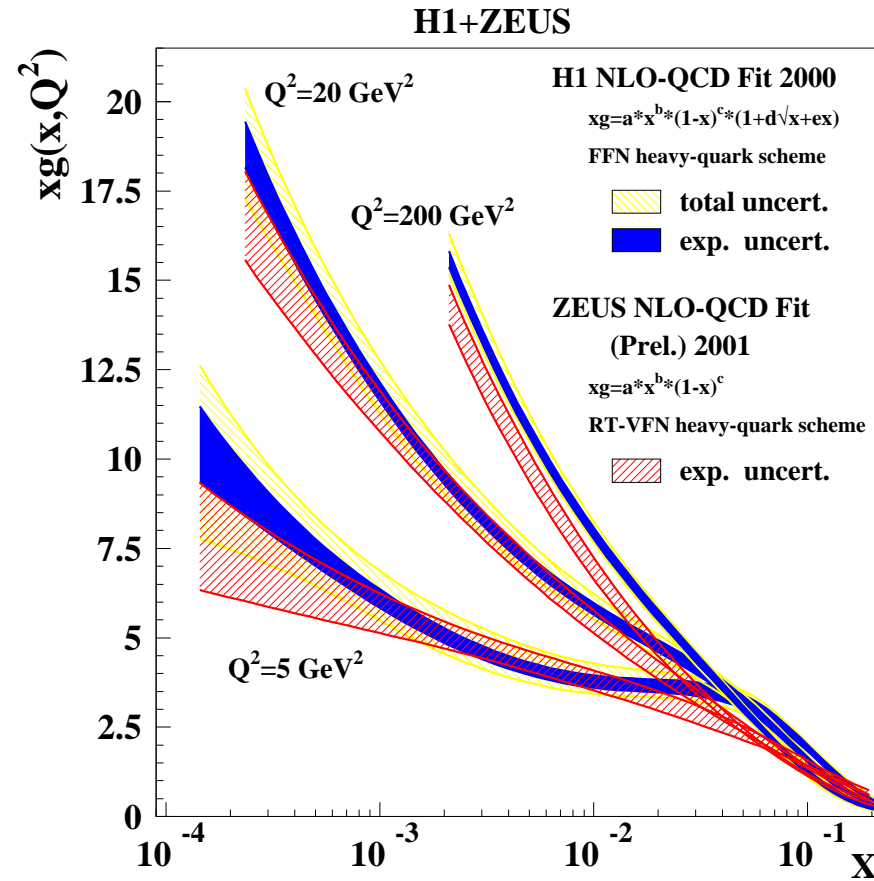
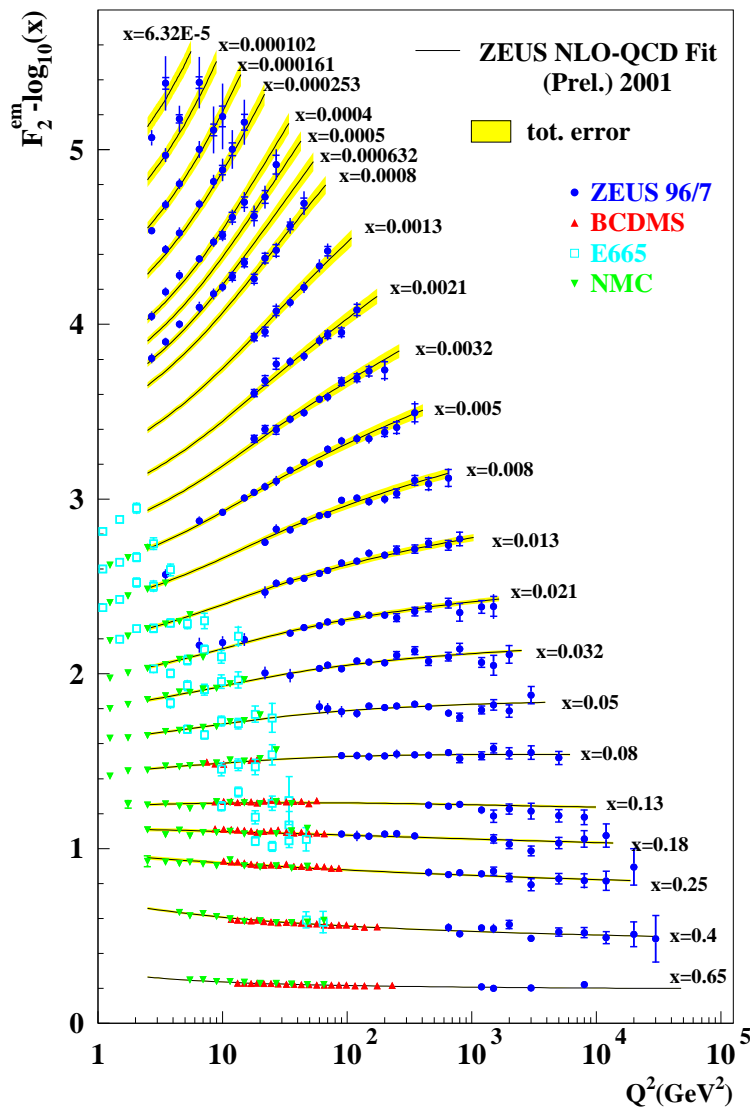
At LO:

$$\begin{aligned}F_2(x, Q^2) &\propto xq(x, Q^2) \\ \partial_{\log(Q^2)} q(x, Q^2) &= \alpha_s [P_{qq} \otimes q(\xi, Q^2) + P_{qg} \otimes g(\xi, Q^2)] \\ \partial_{\log(Q^2)} g(x, Q^2) &= \alpha_s [P_{gq} \otimes q(\xi, Q^2) + P_{gg} \otimes g(\xi, Q^2)]\end{aligned}$$

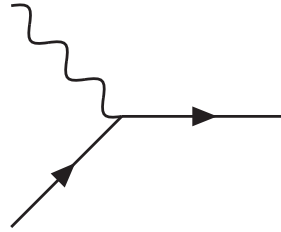
The gluon distribution is accessed through the slope of F_2 , and through a convolution!

The gluon distribution is accessed through the slope of F_2

- more difficult to estimate
- particularly at small x where the Q^2 range is smaller

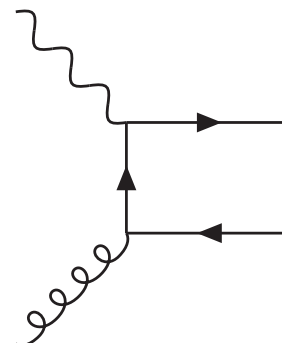
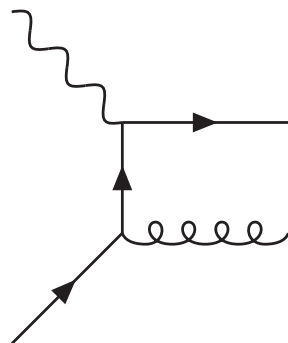


“1+1 jet” dominated by



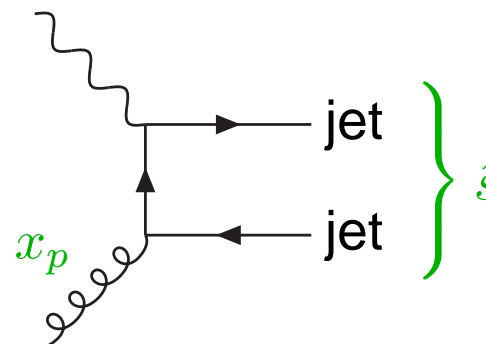
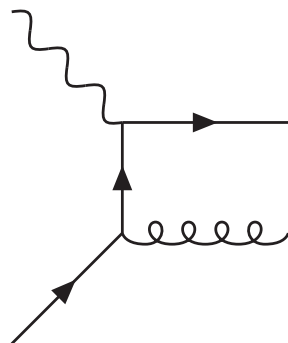
i.e. dominated by quarks (gluons at NLO)

“2+1 jets” becomes more interesting



- involve quarks and gluons
- dominated by gluons at small x

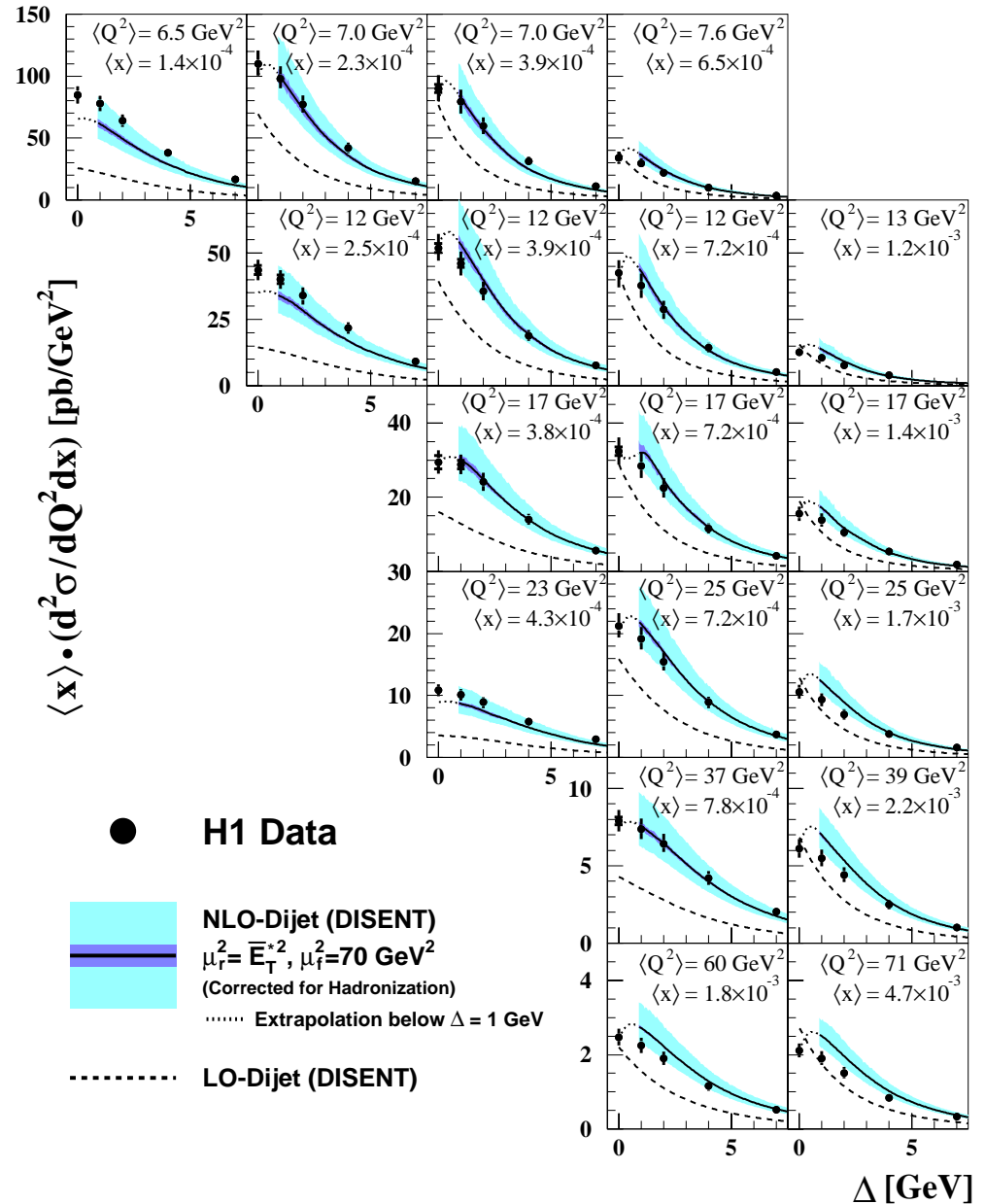
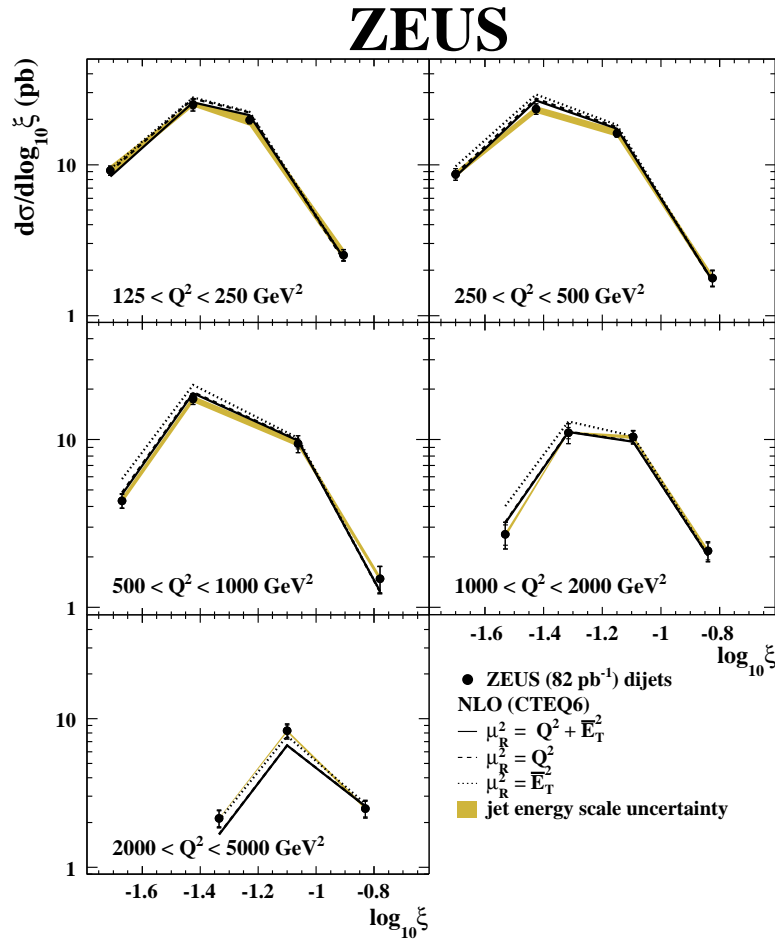
“2+1 jets” becomes more interesting



$$\frac{d^2\sigma^{2+1}}{dx_p dQ^2} = \alpha_s [a g(x_p, Q^2) + b q(x_p, Q^2)]$$

- a and b from pQCD
- $x_p = x \left(1 + \frac{\hat{s}}{Q^2}\right)$

Measured at HERA

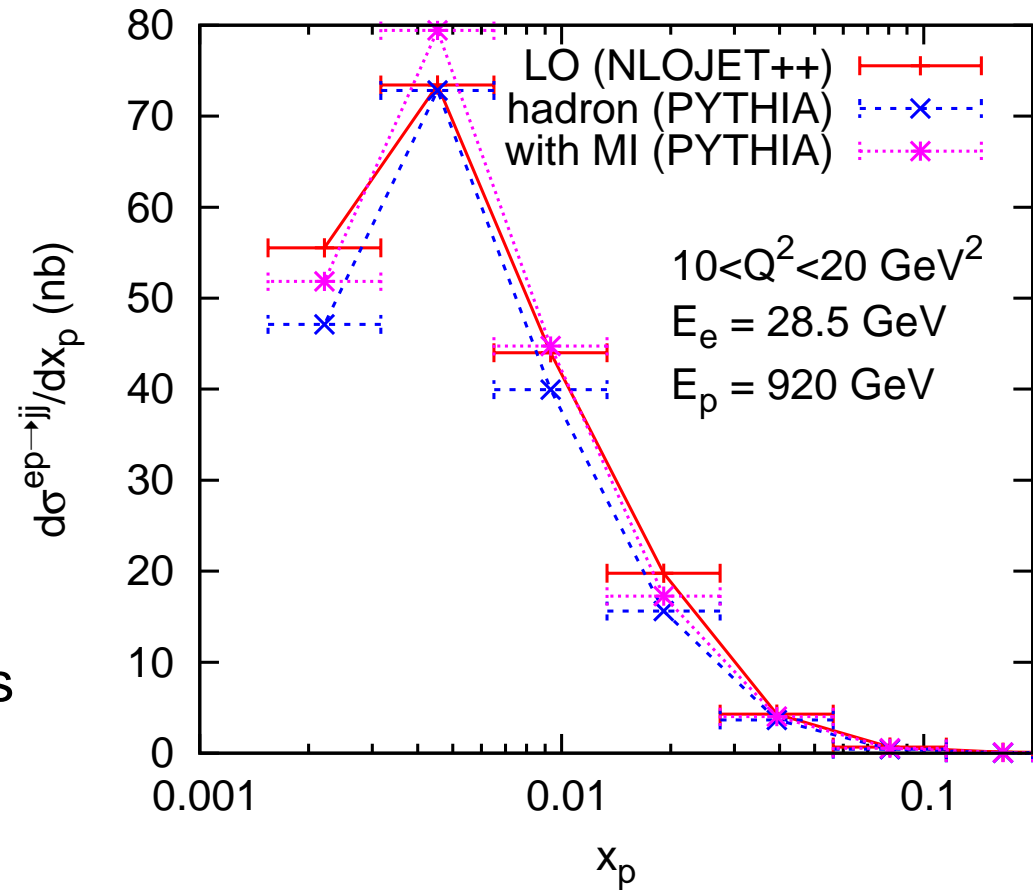


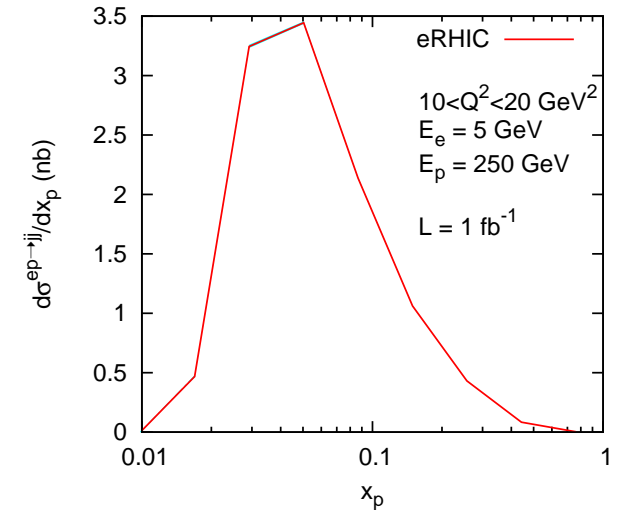
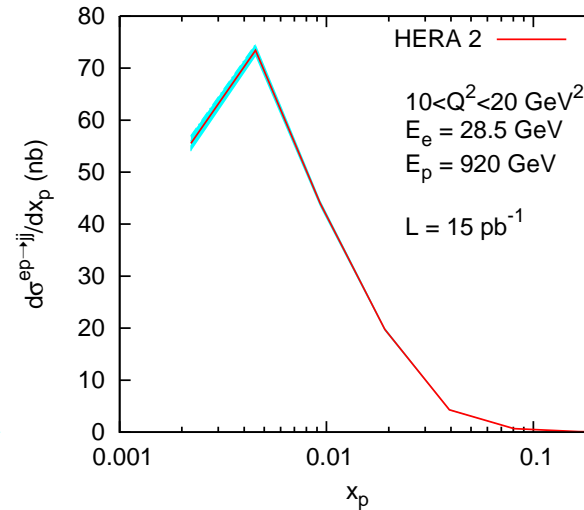
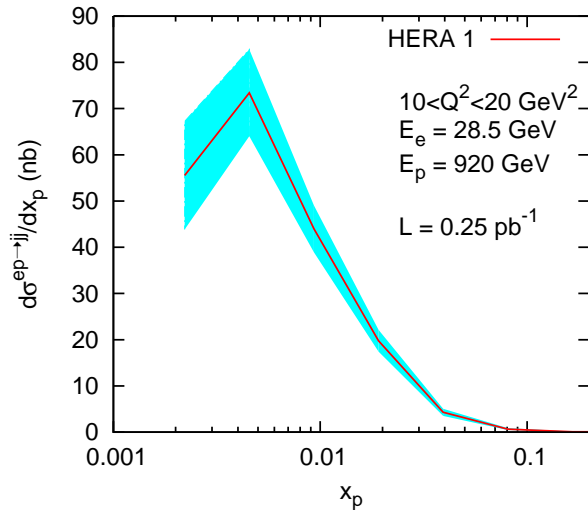
Other possibilities

- Diffractive events (g_{IP})
- Leading neutron

One needs to be careful

- Effect of hadonisation
- Effect of multiple-interactions
- Effect of clustering



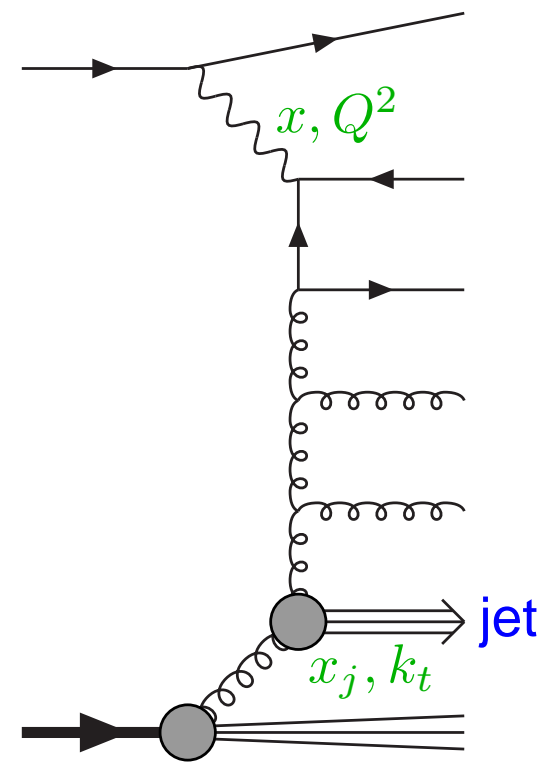
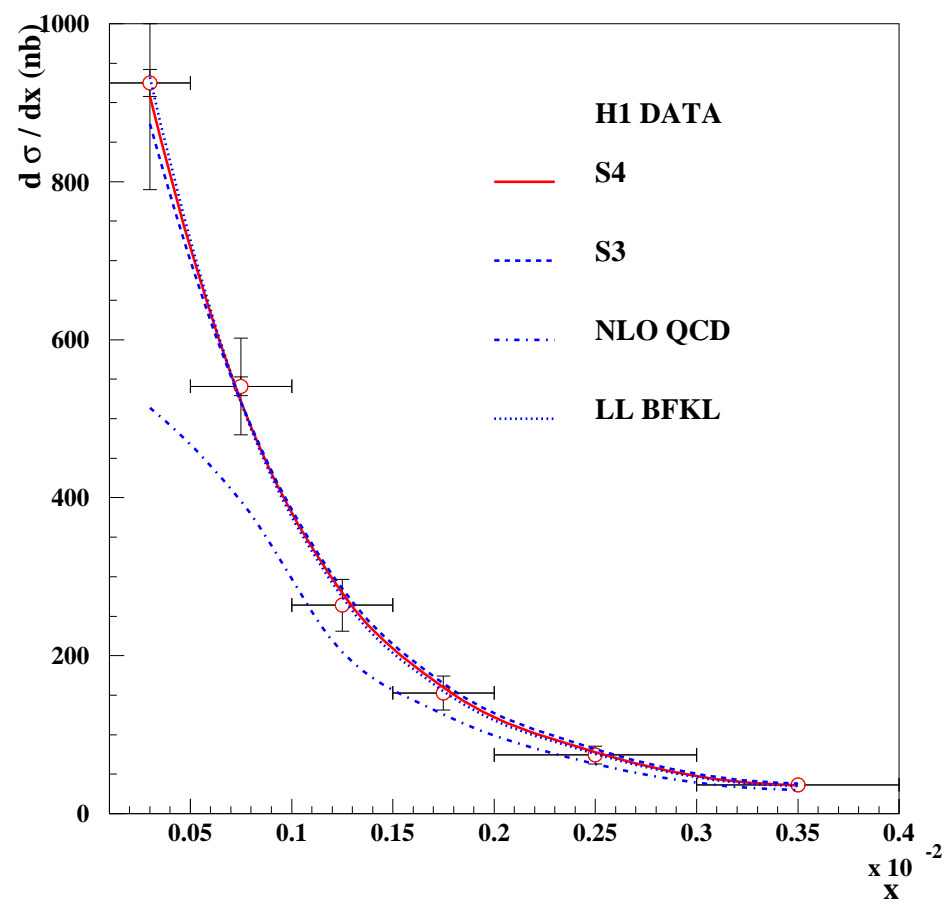


- High luminosity \Rightarrow low statistical errors
- eRHIC:
 - slightly smaller kinematical range
 - eA vs. $(A \times) ep \Rightarrow$ information on shadowing/saturation/multiple interactions
 - How low can you go in p_T ?

Tag a forward jet with $x \ll x_j$.

If $Q^2 \sim k_t^2$,

- DGLAP and fixed-order fail
- BFKL works

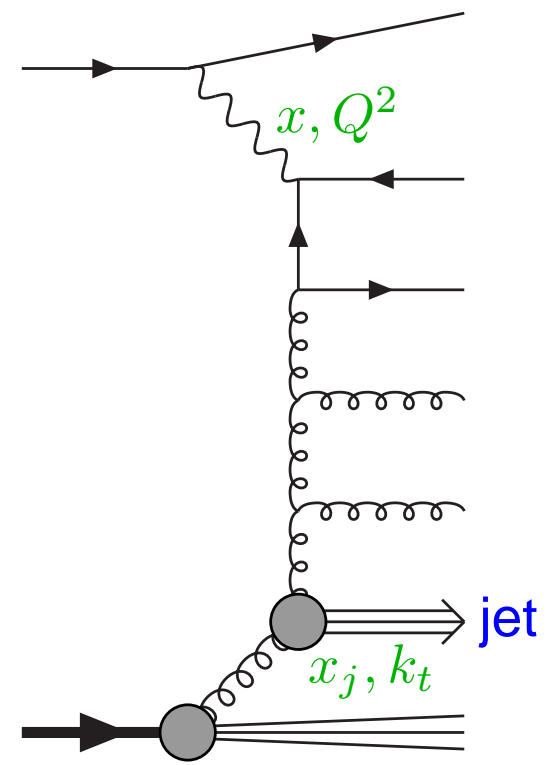
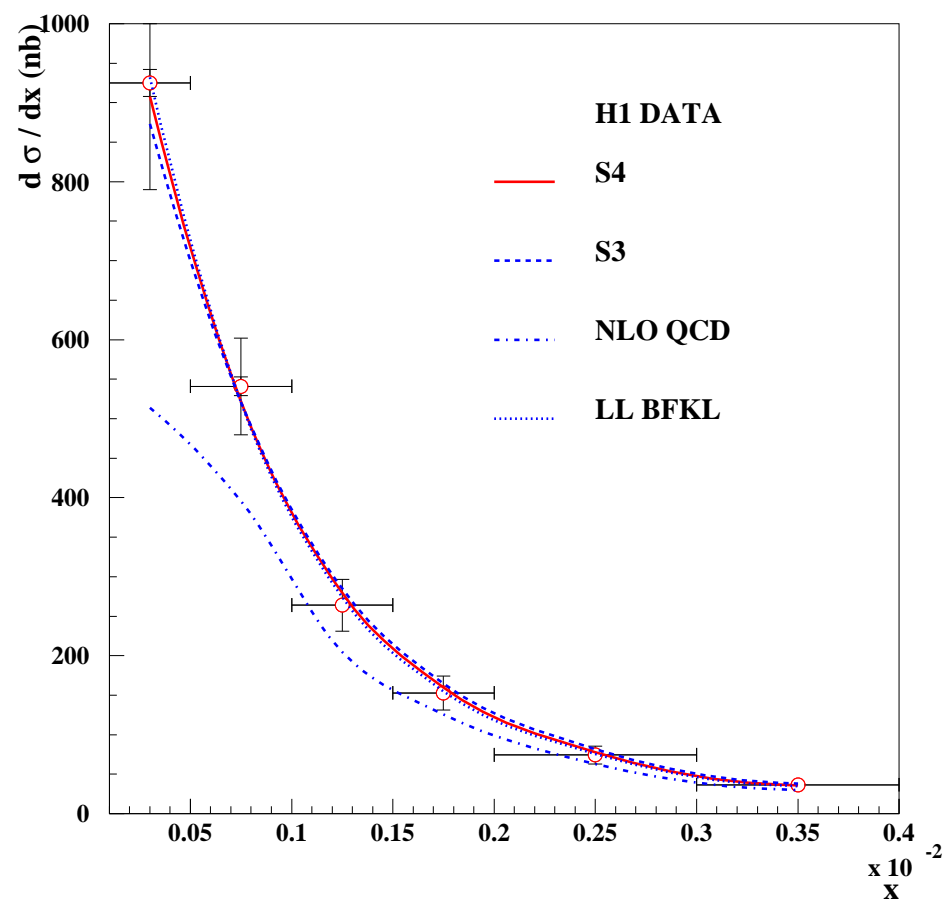


[Kepka, Marquet, Peschanski, Royon]

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Question for EIC:
 Hints for BFKL, saturation & multiple interactions effects in eA collisions?

What can we learn from jet physics at EIC

- gluon PDF
 - from 2+1 jets
 - ep vs. eA : shadowing, multiple interactions
- BFKL (and saturation) tests from forward jets
- ...